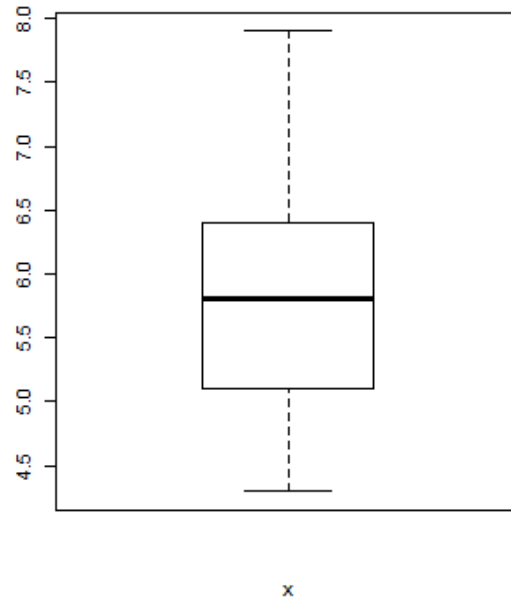
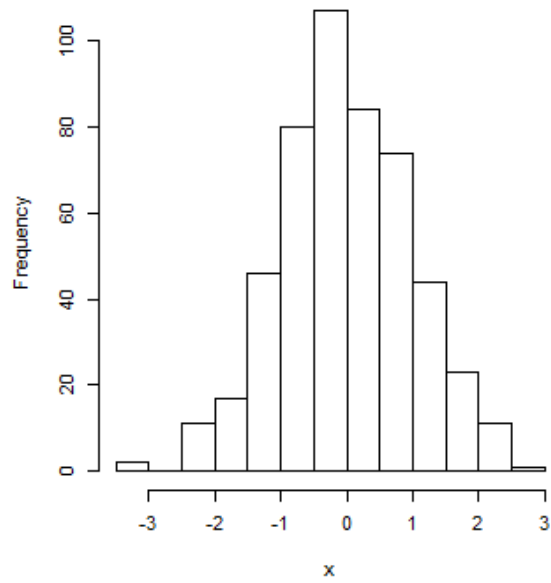


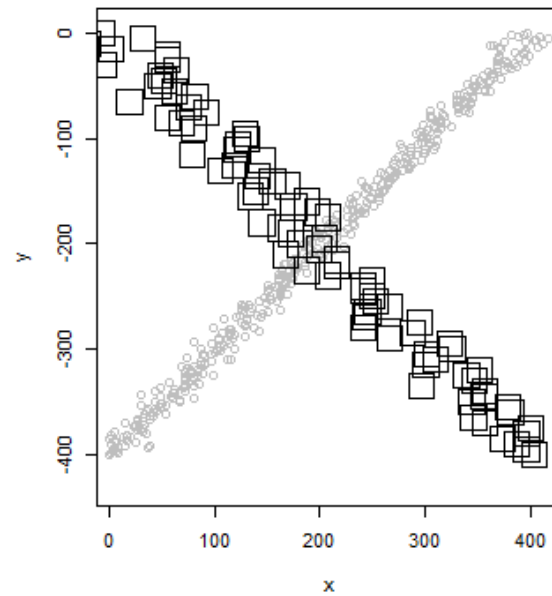
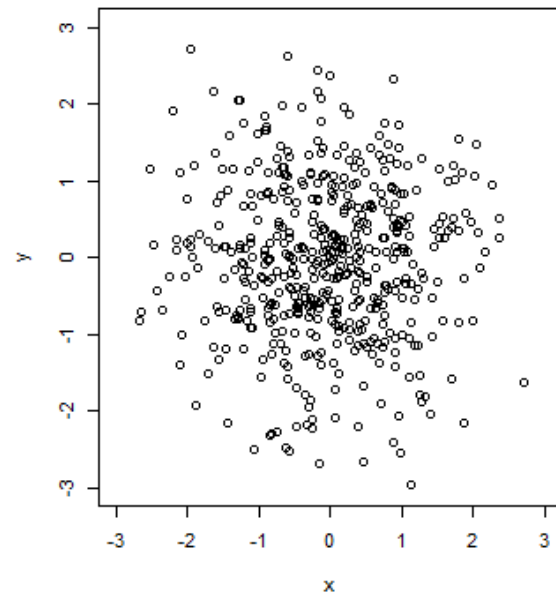
inside

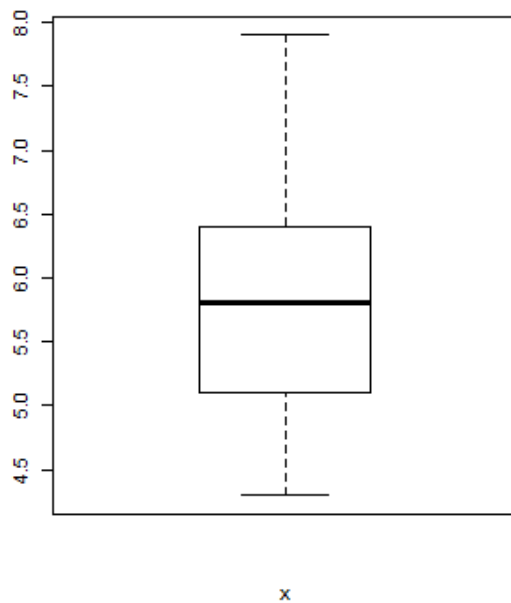
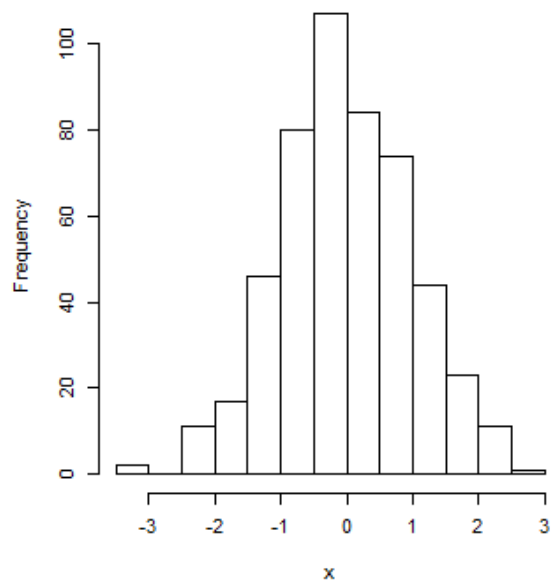
outside

Standard graphs

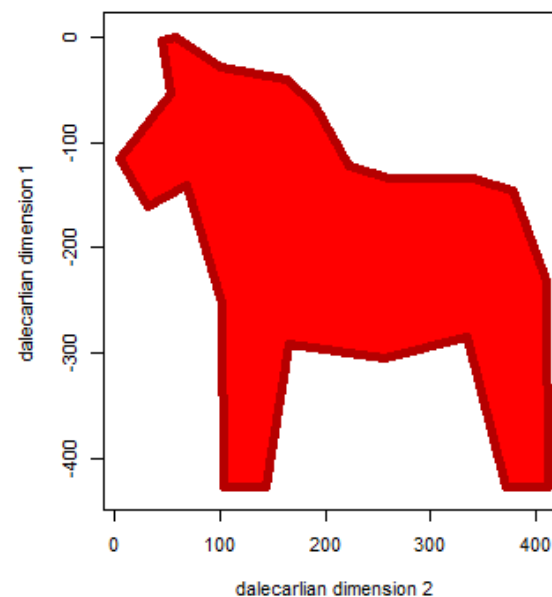
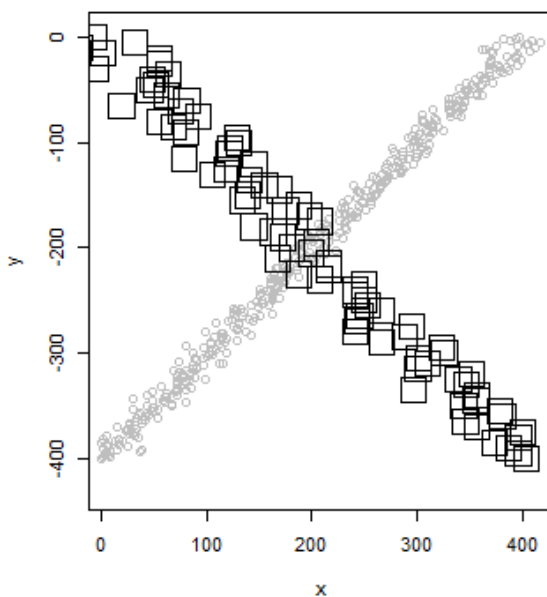
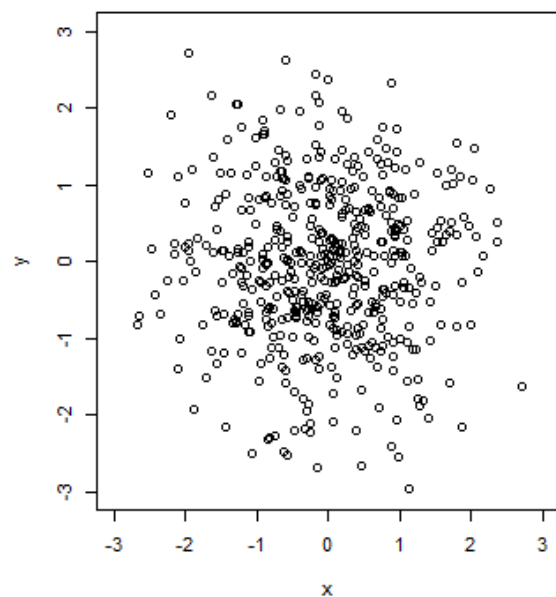


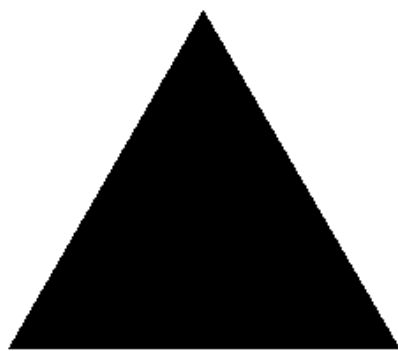
When case is known,
one uses what fits



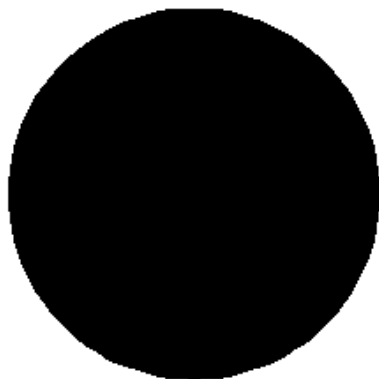


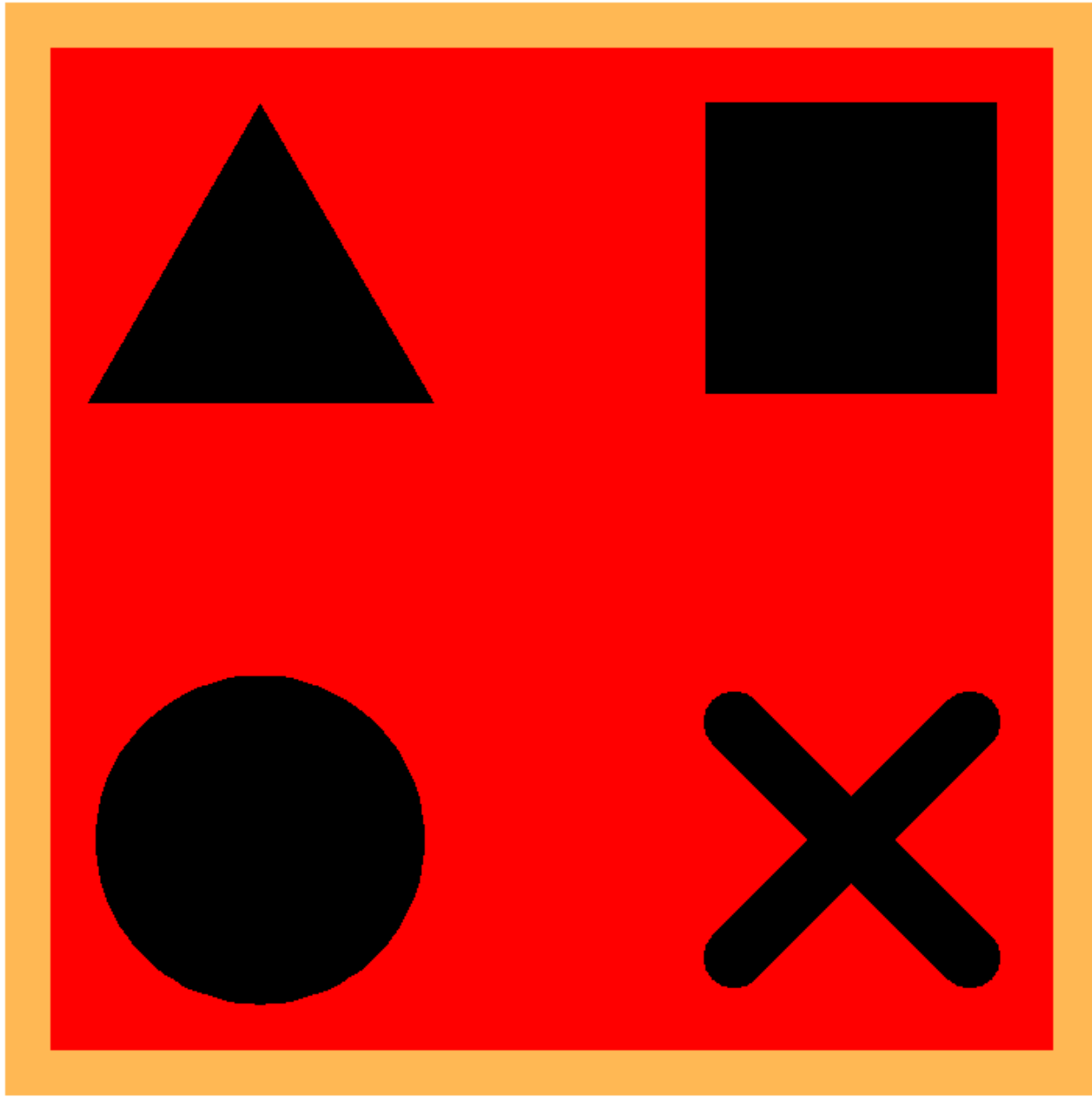
What if we have
a new case?



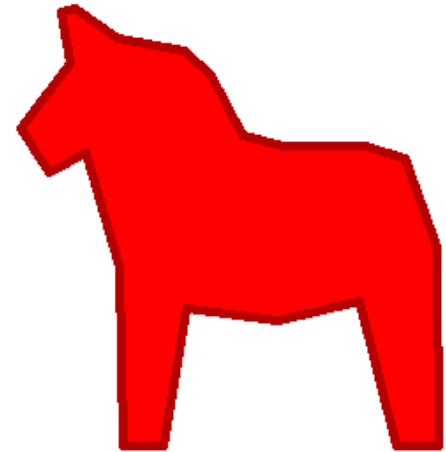


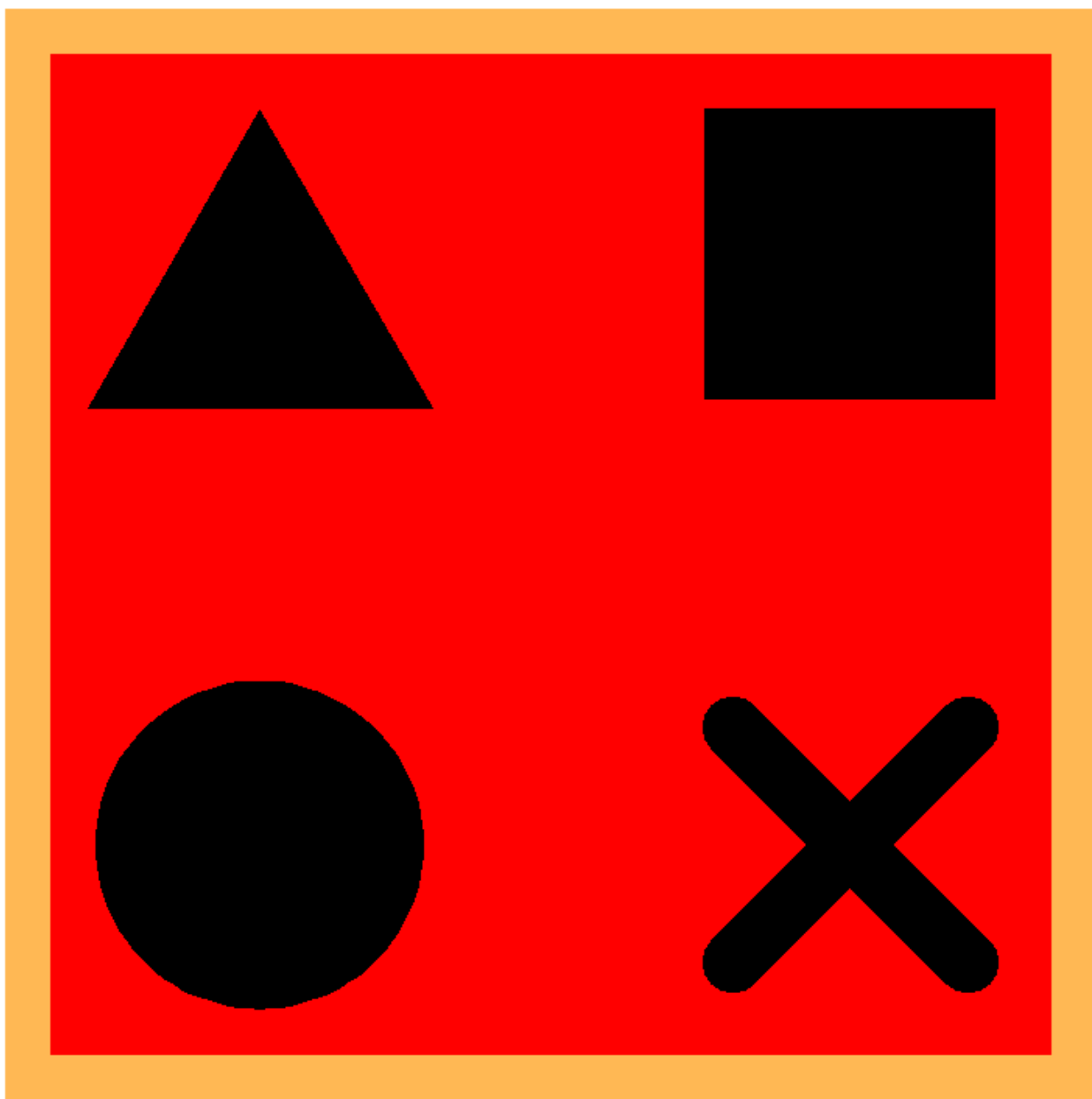
Think about it





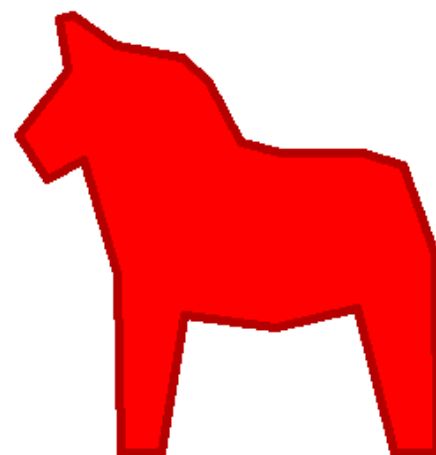
What if it
doesn't fit
?!?





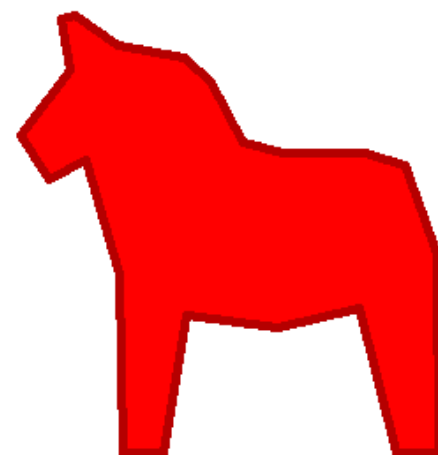
Sad fact:
the 'right' visualization
might not exist

Yet

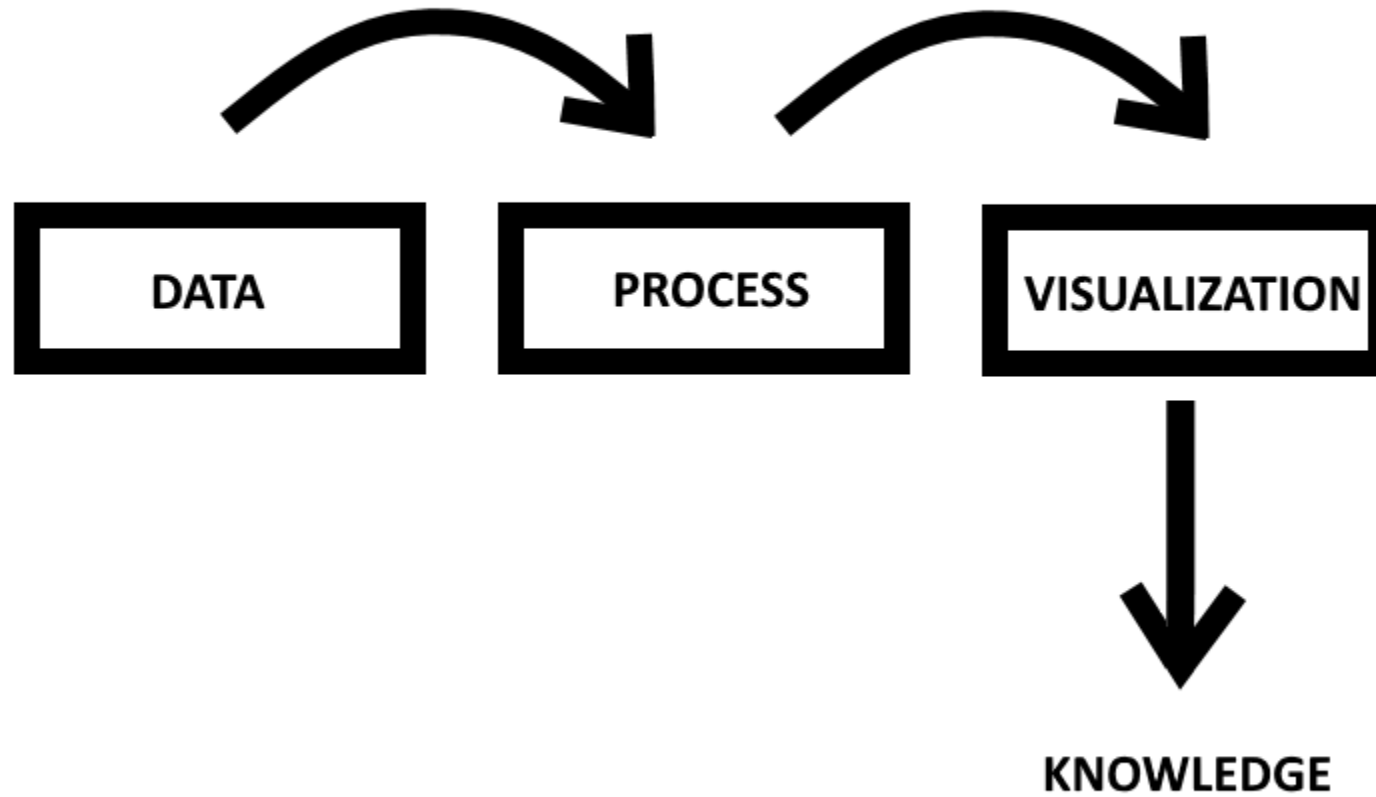




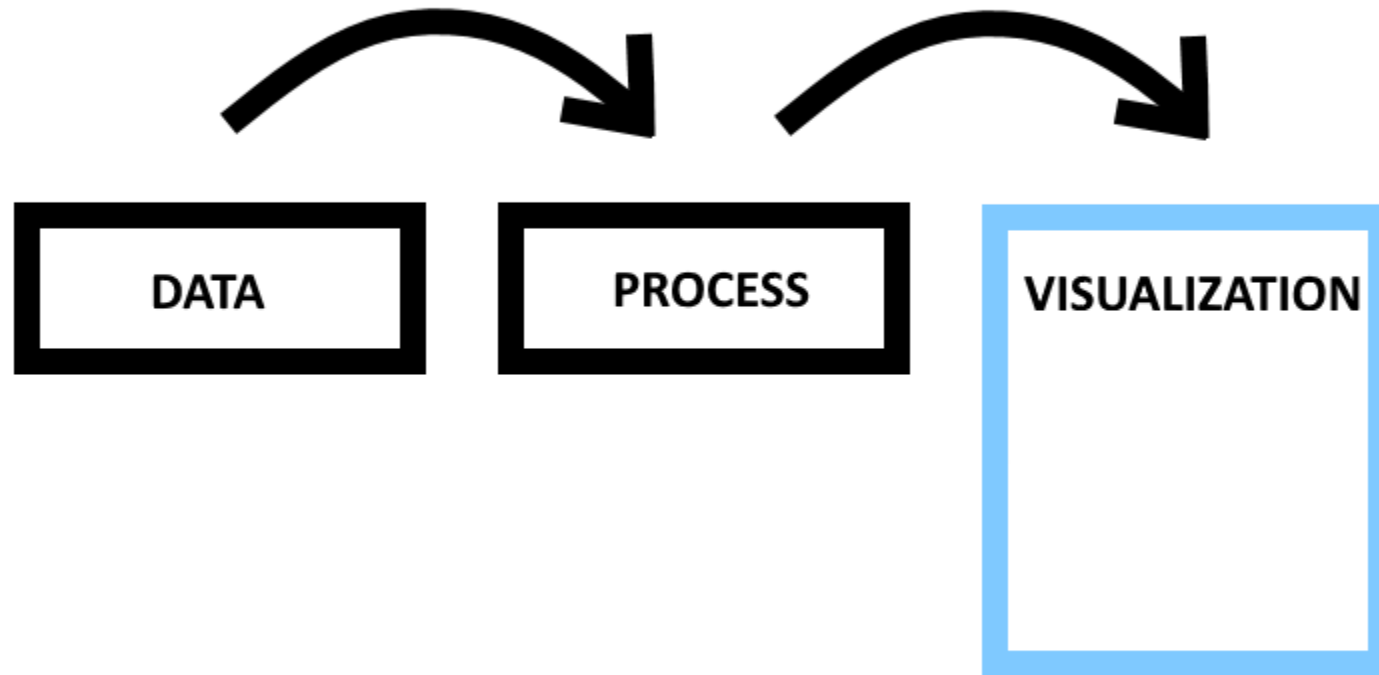
Solution:
play with it



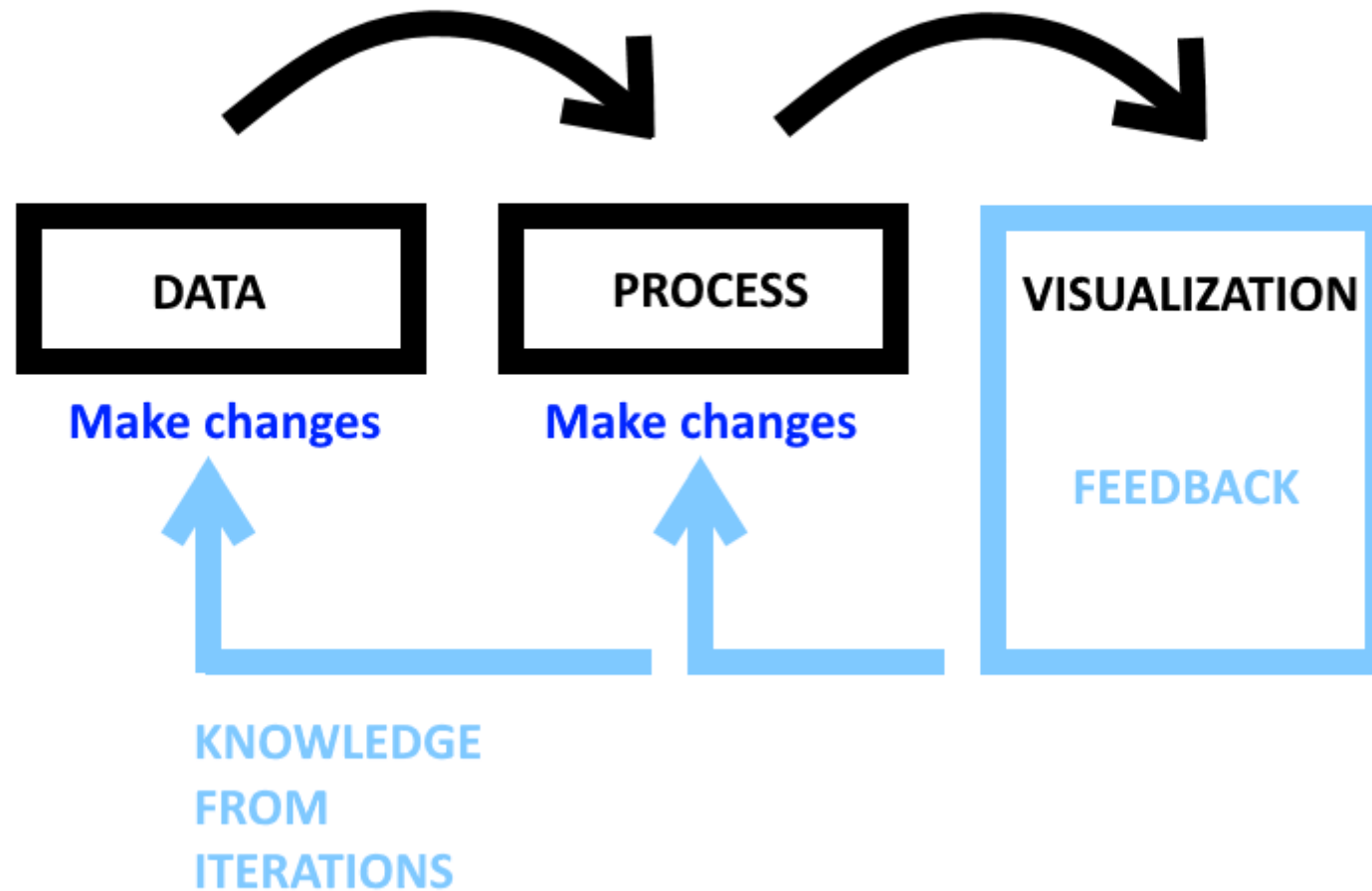
Known case



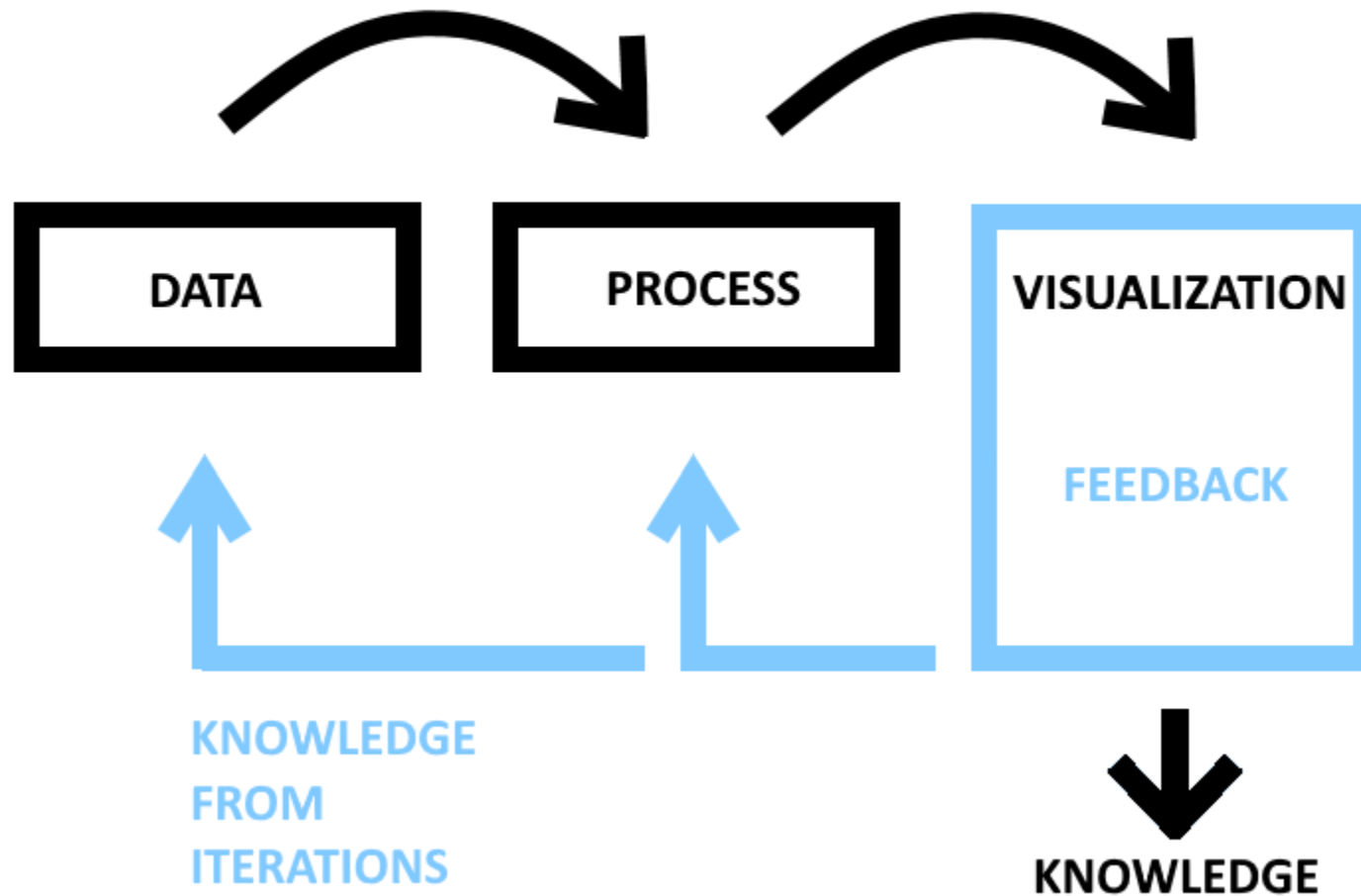
Unknown case



Unknown case



Unknown case



3.14...

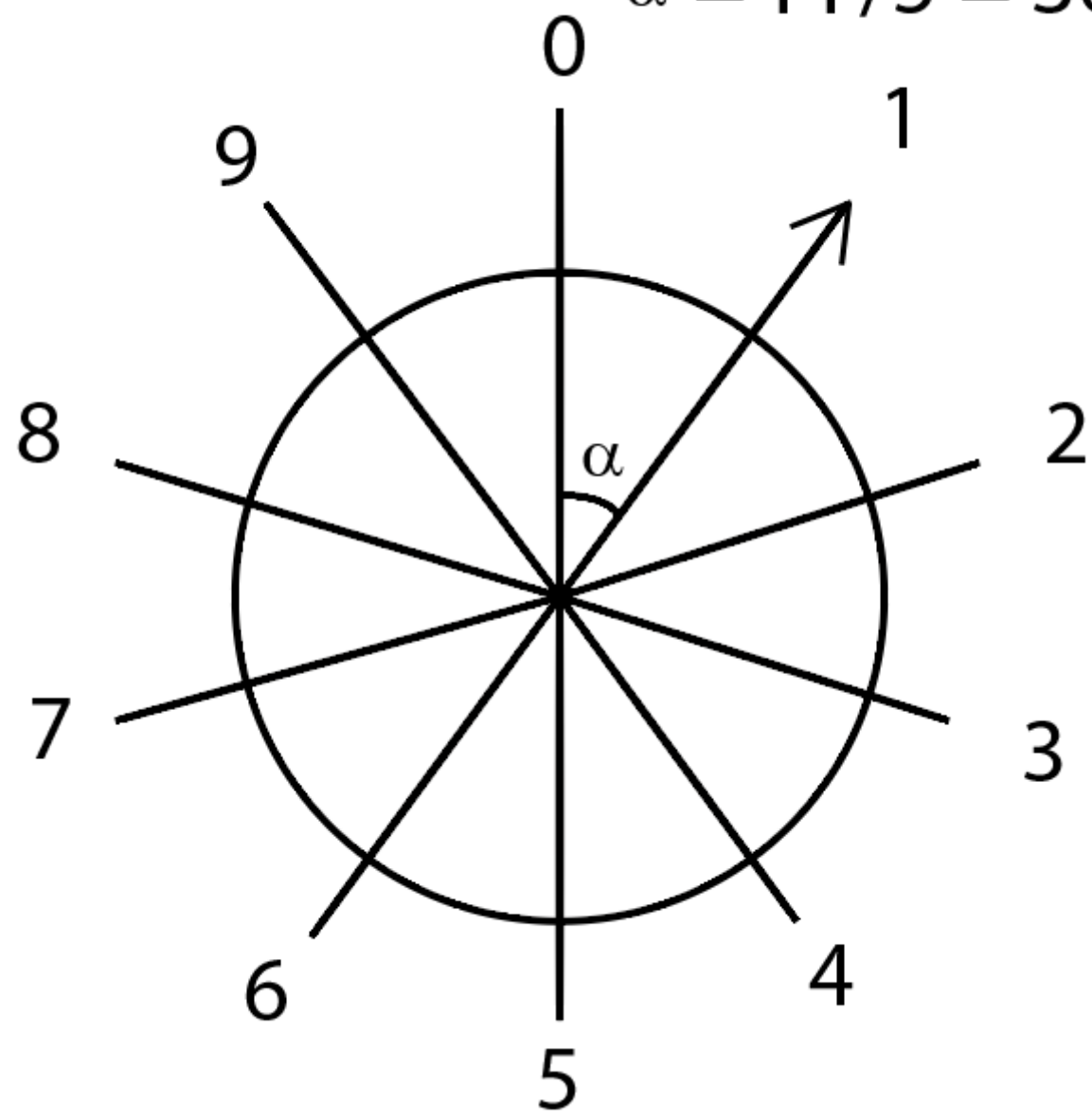
Digits of π

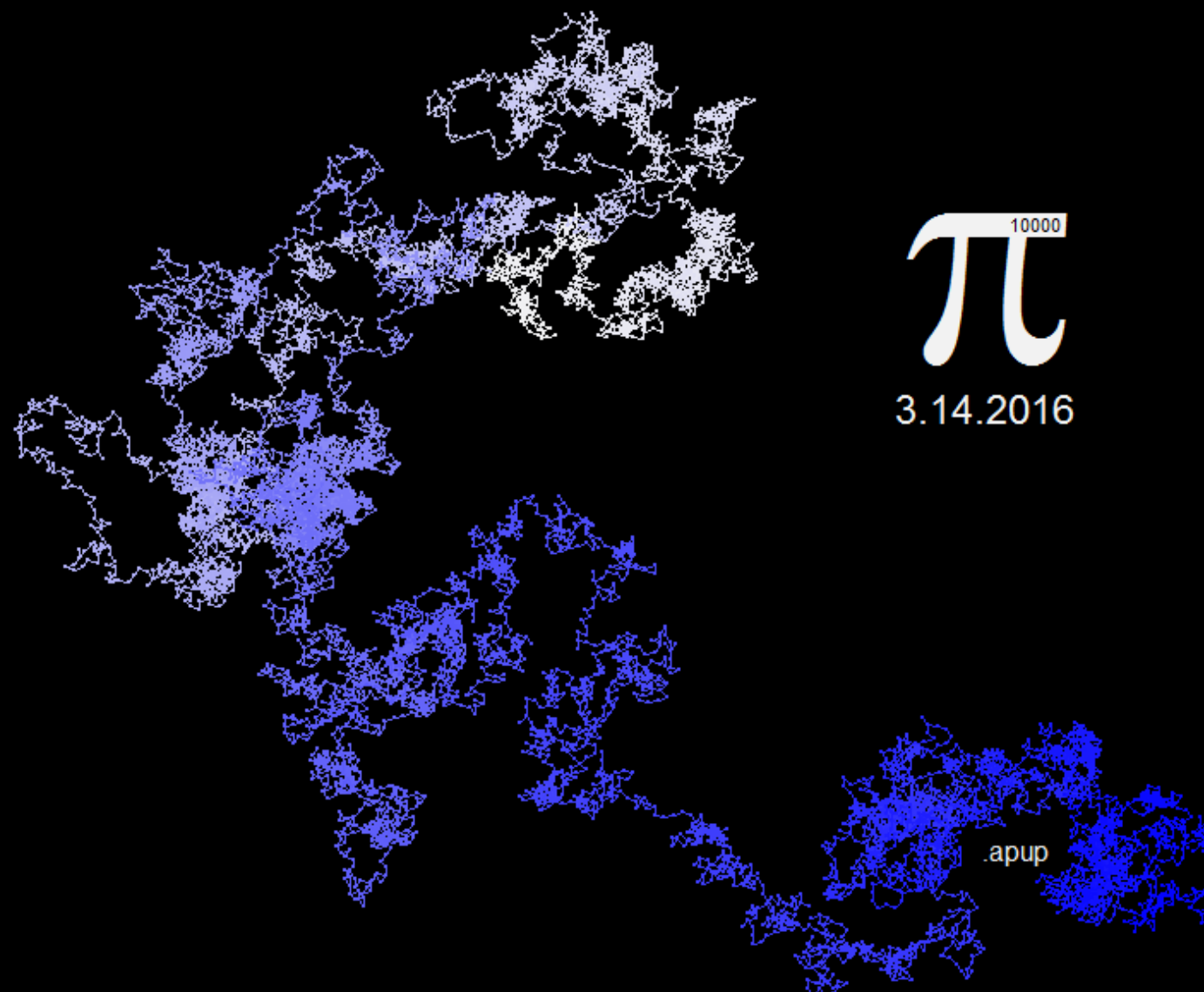
3.14.2017

HAPPY DAY OF π

3.141592653589793238462643383279502884197169399375105820974944
59230781640628620899862803482534211706798214808651328230664709
38446095505822317253594081284811174502841027019385211055596446
22948954930381964428810975665933446128475648233786783165271201
90914564856692346034861045432664821339360726024914127372458700
66063155881748815209209628292540917153643678925903600113305305
48820466521384146951941511609433057270365759591953092186117381
93261179310511854807446237996274956735188575272489122793818301
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82778577134275778960917363717872146844090122495343014654958537
10507922796892589235420199561121290219608640344181598136297747
71309960518707211349999998372978049951059731732816096318595024
45945534690830264252230825334468503526193118817101000313783875
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$$\alpha = \text{Pi} / 5 = 36^\circ$$

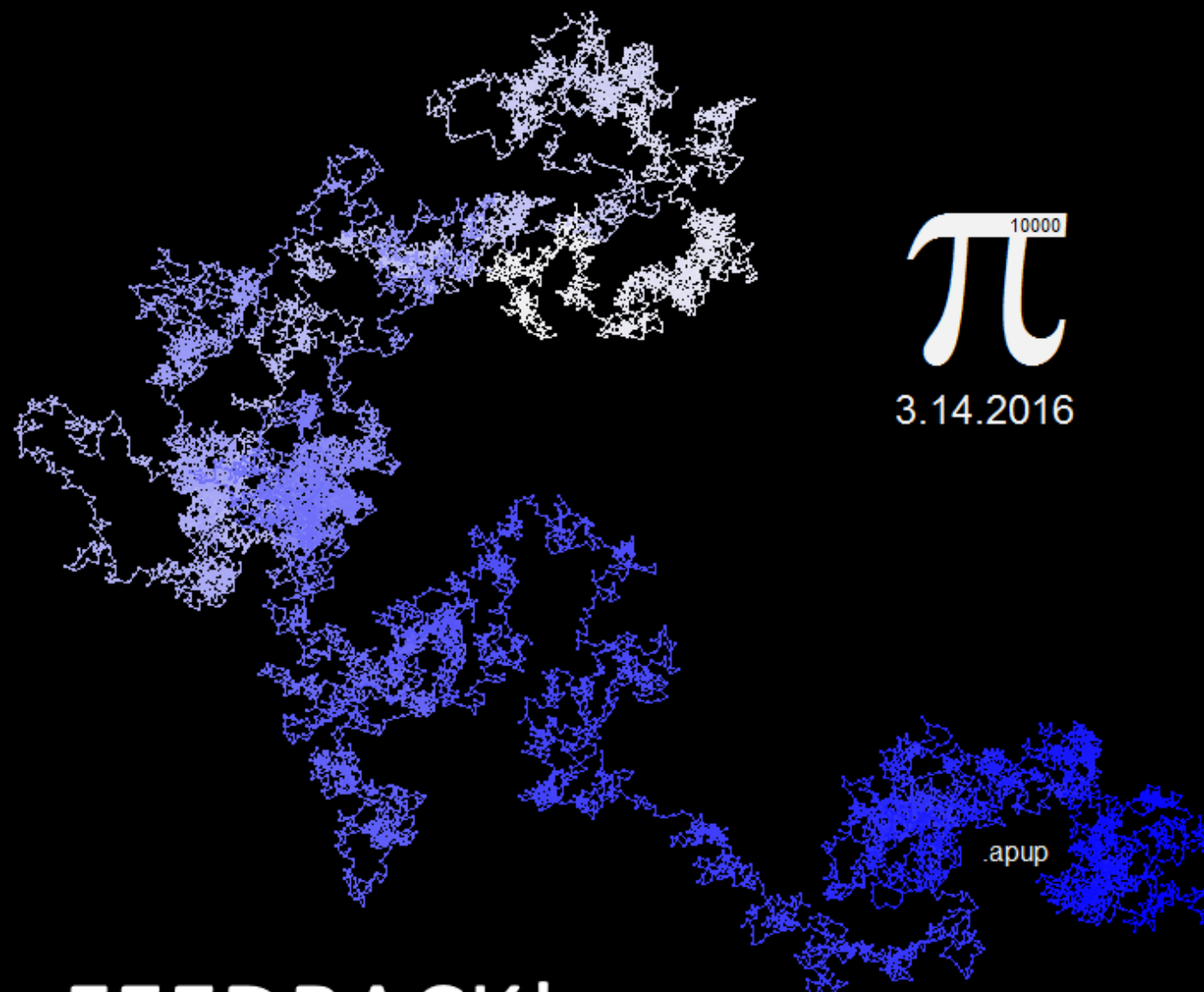




π^{10000}

3.14.2016

.apup

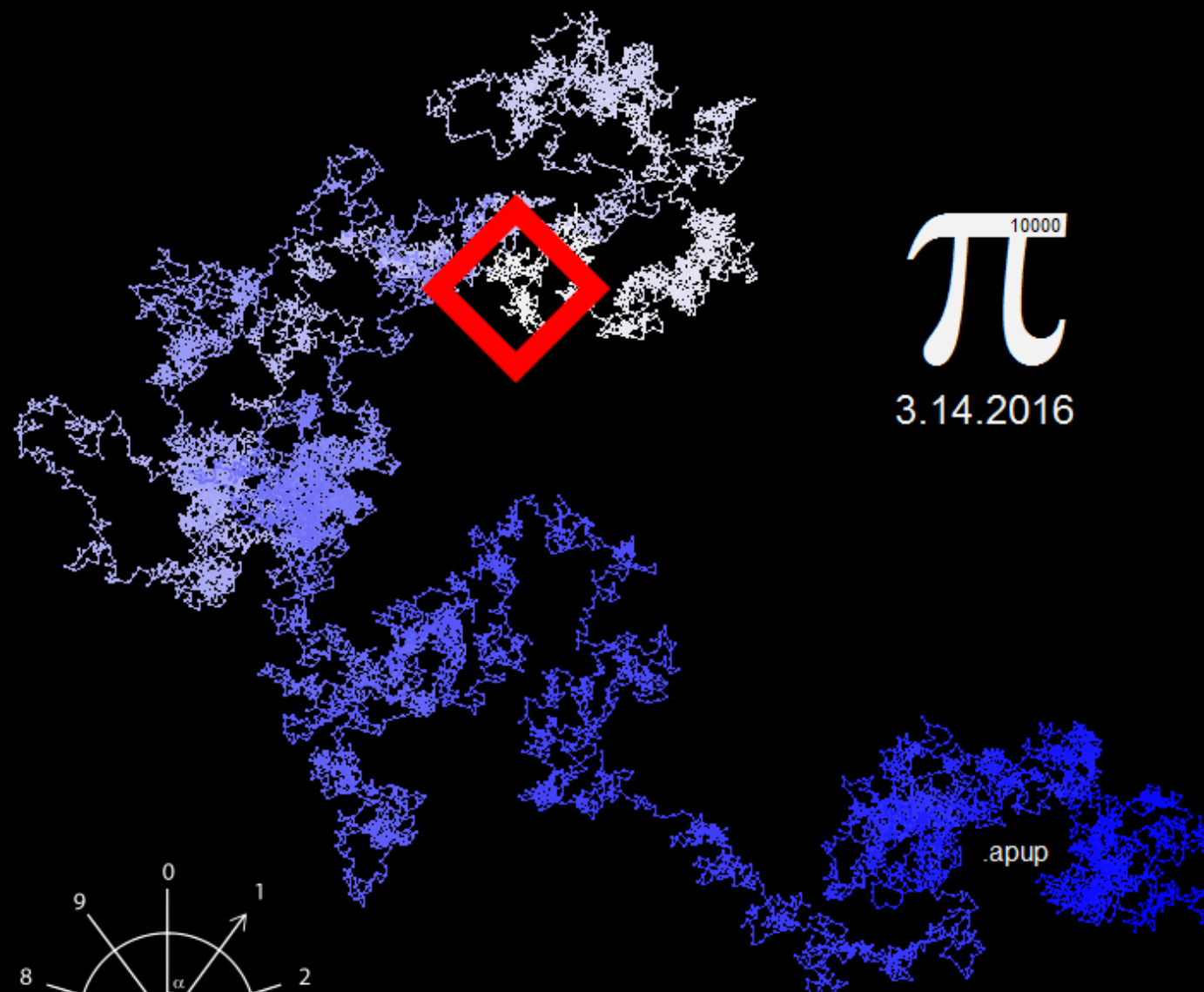


π^{10000}

3.14.2016

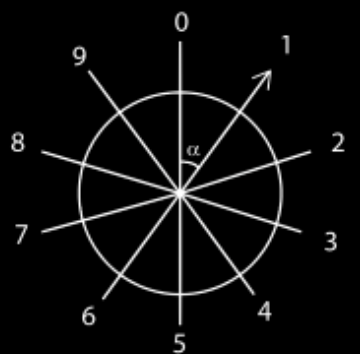
.apup

FEEDBACK!



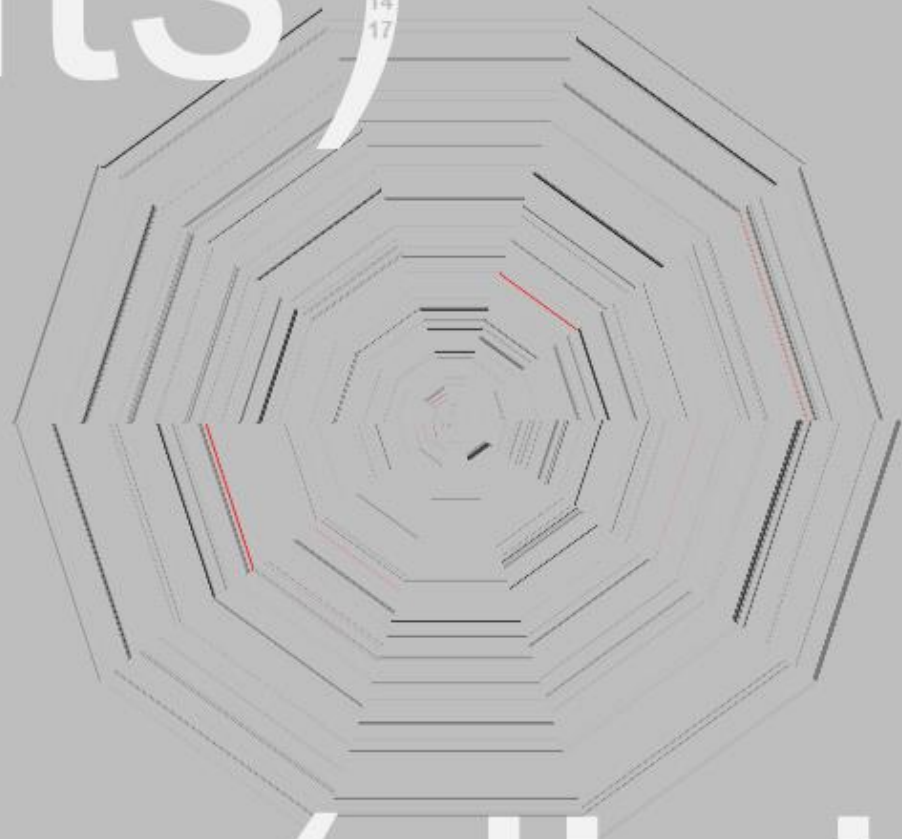
π^{10000}
3.14.2016

.apup

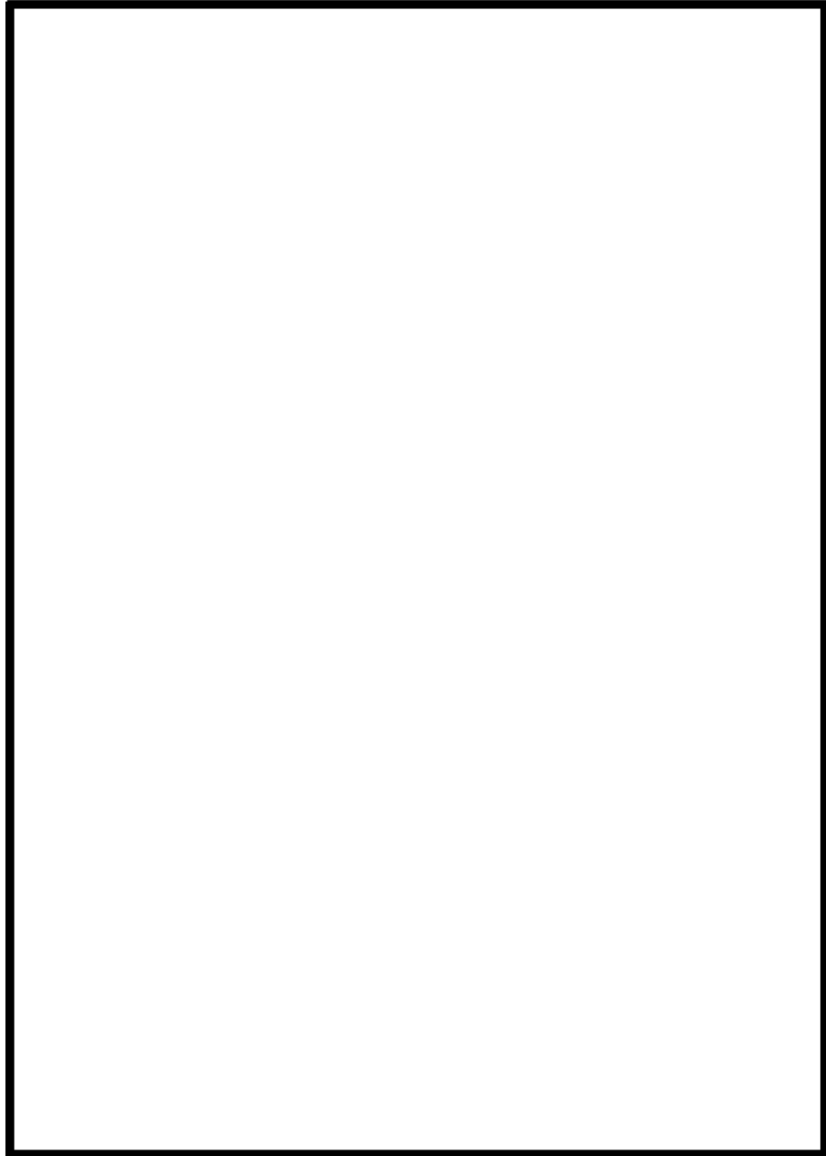


its)

03
14
17

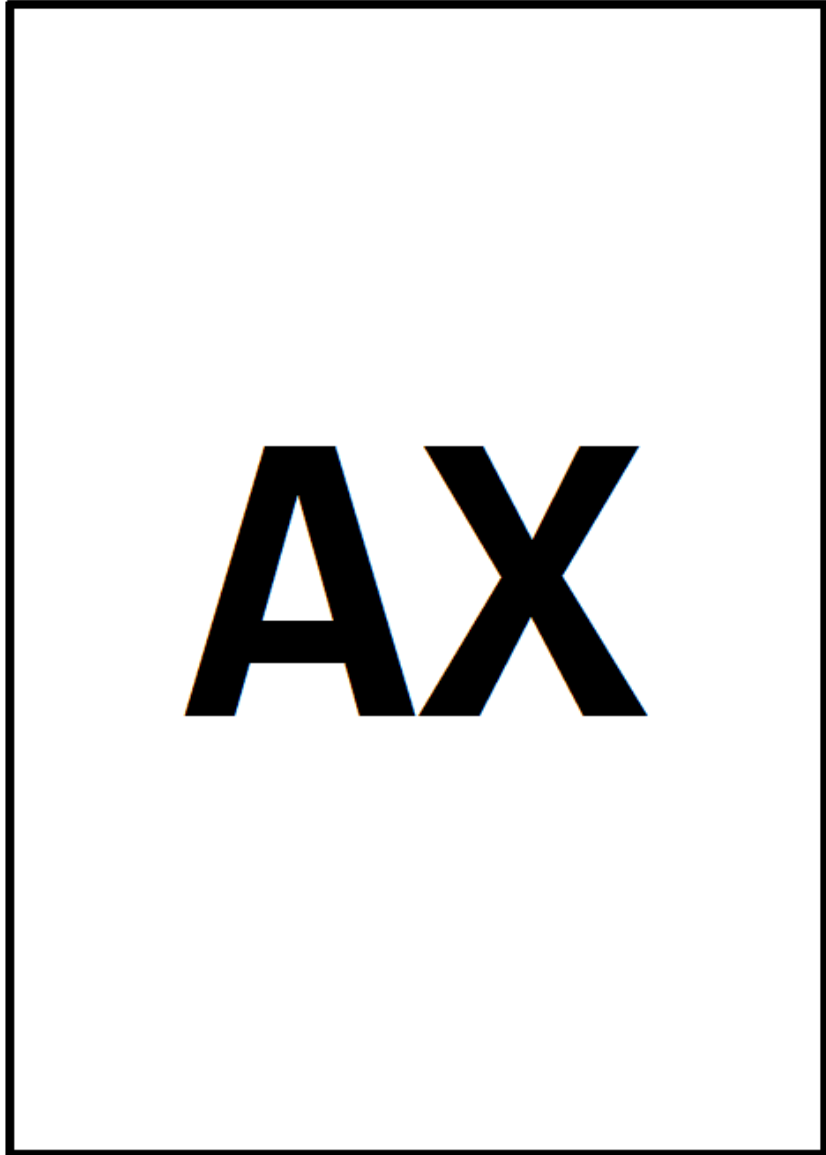


π p(digit



Logical disorder

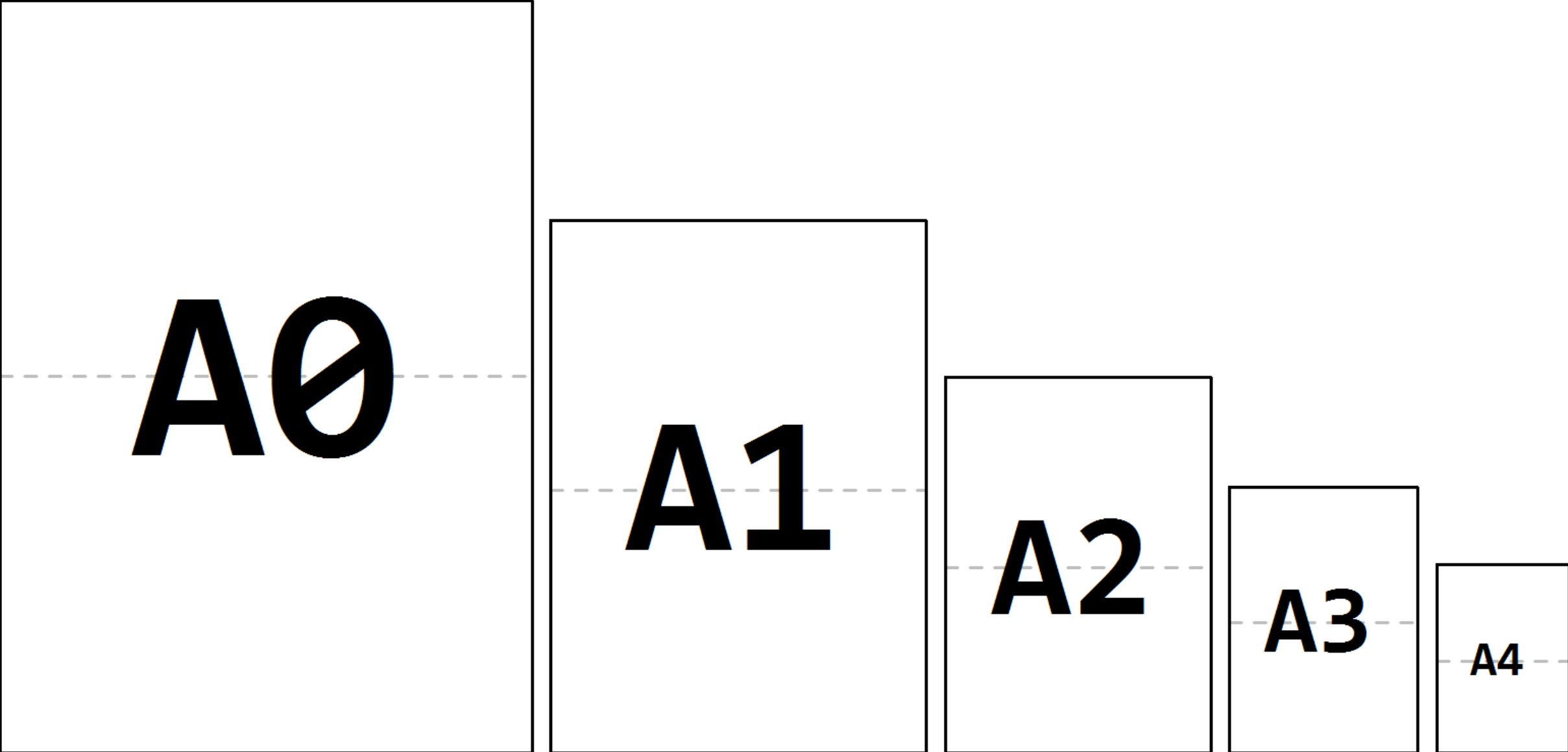
1



Logical disorder

with

A series ISO 216



A0

A1

A2

A3

A4

A0

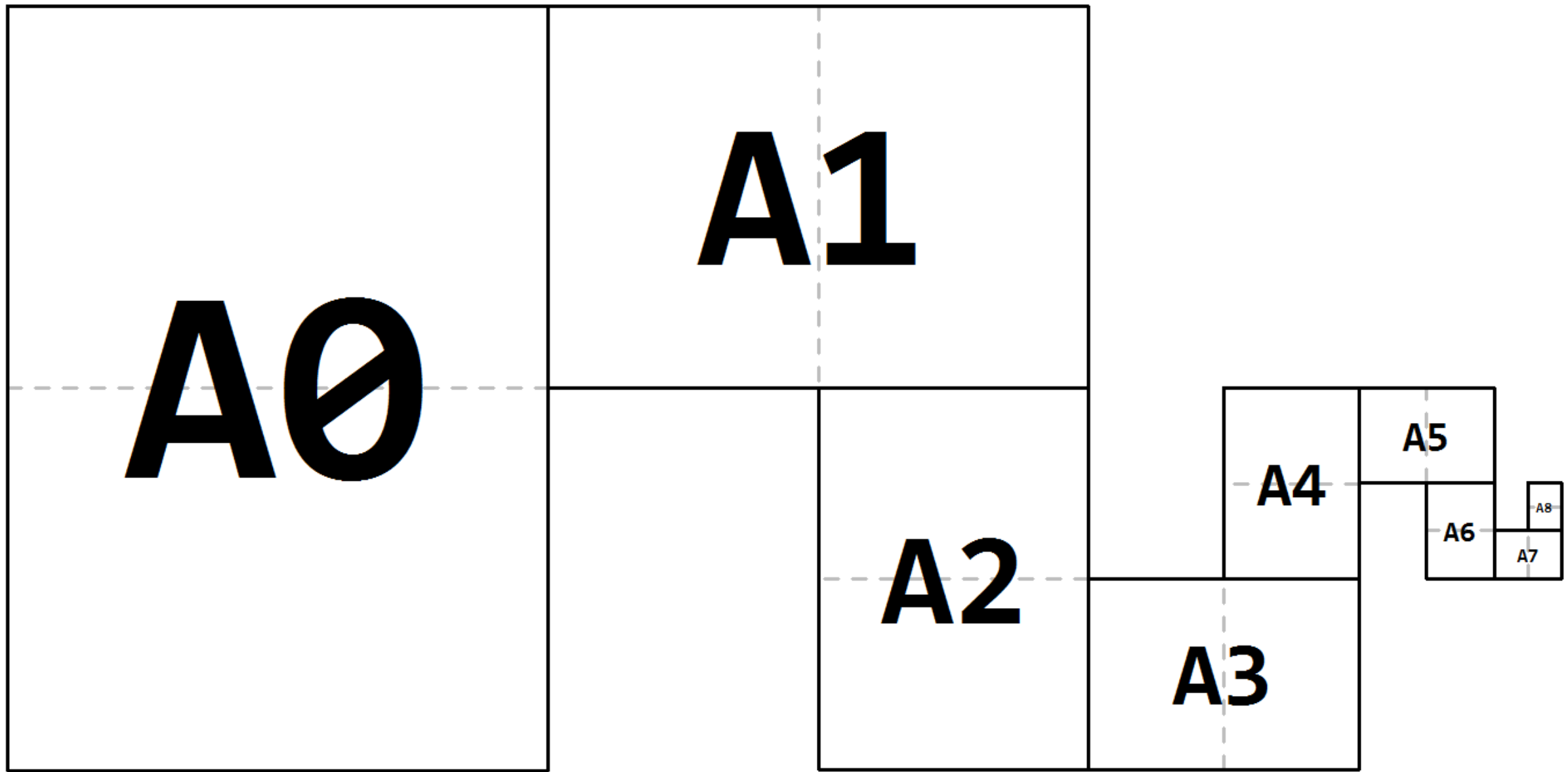
A1

A2

A3

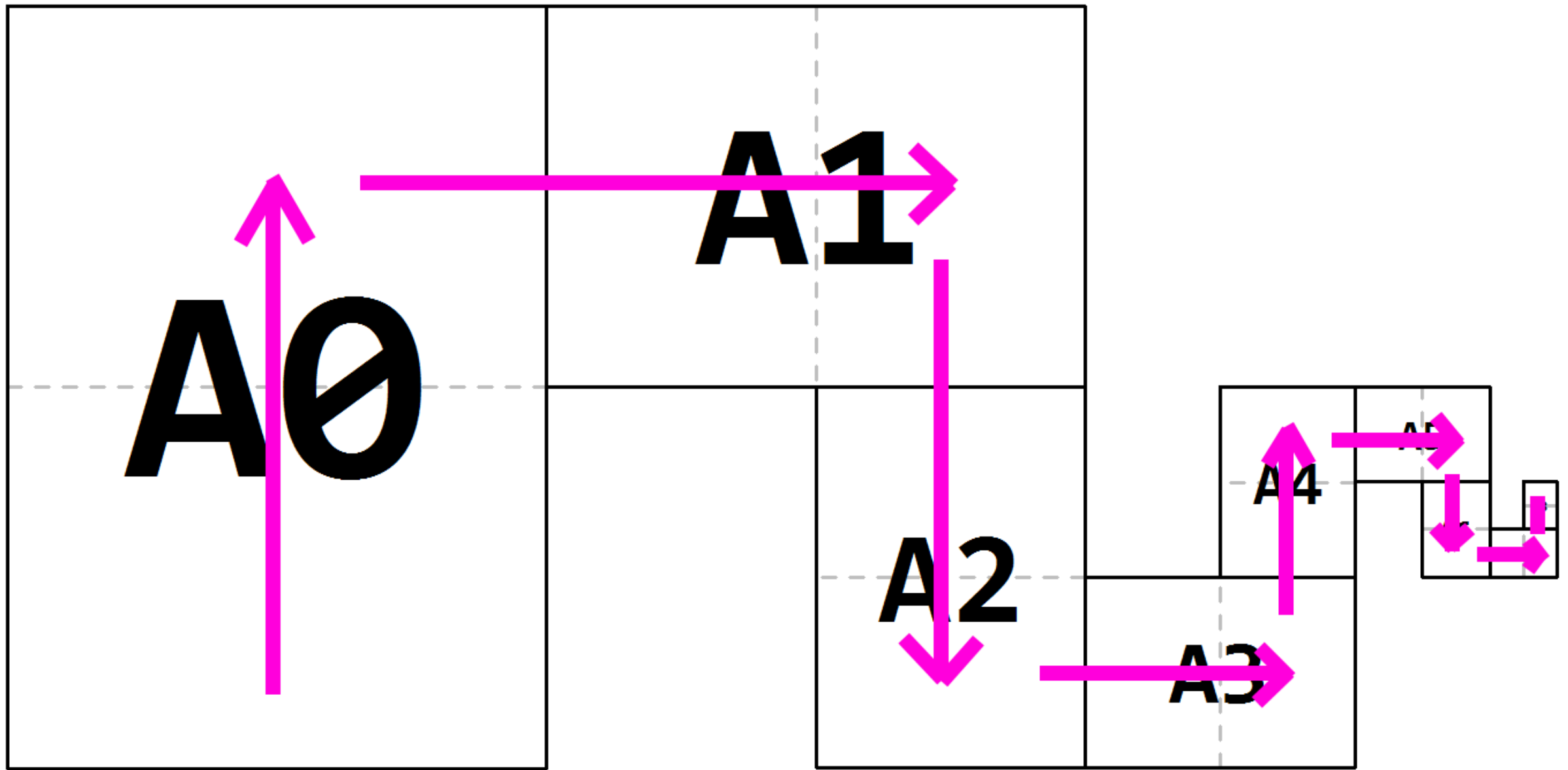
A4





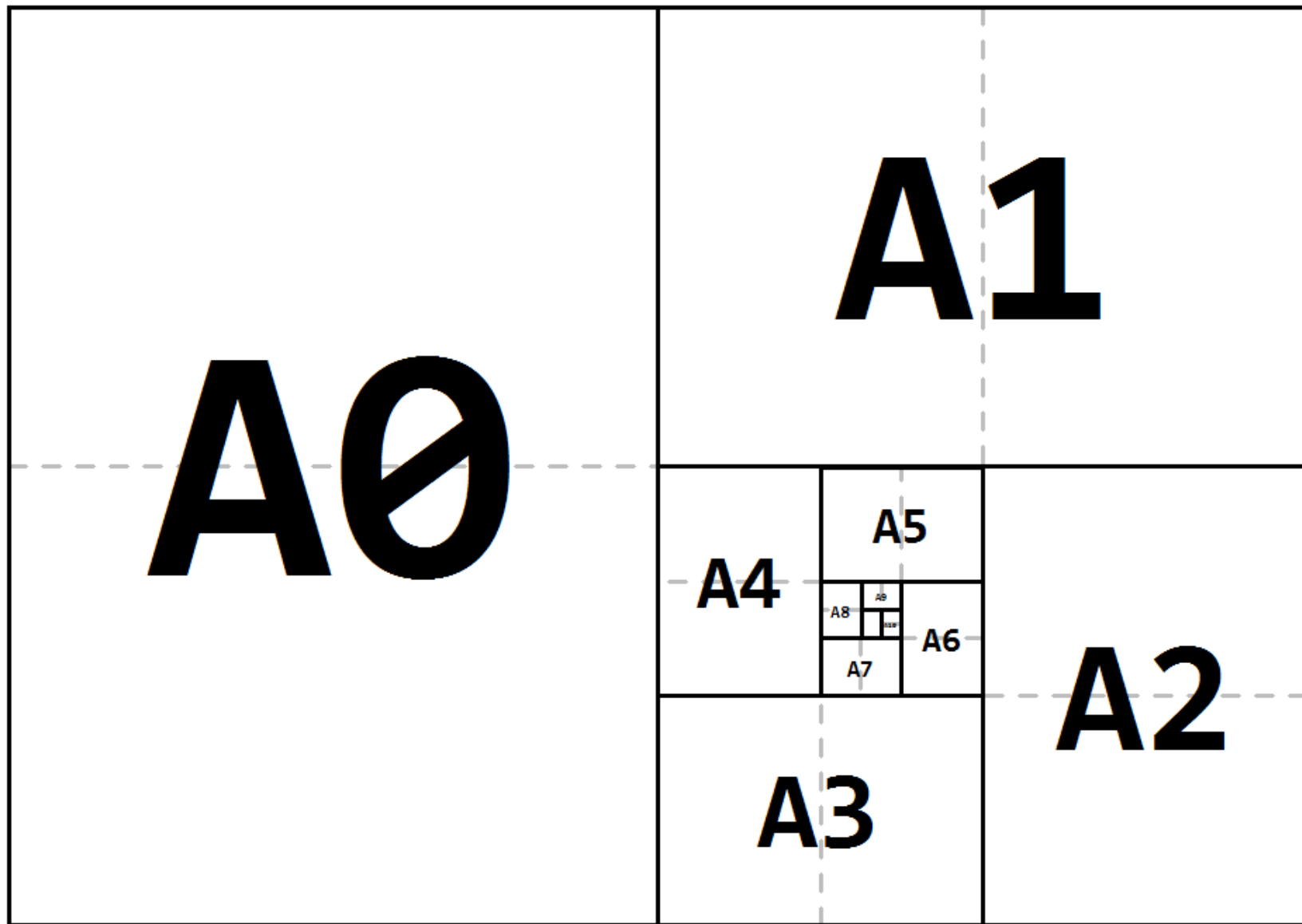
Paper size format having $1:\sqrt{2}$ as aspect ratio. Successive papersize has half area size of preceding size.

ISO 216
A series



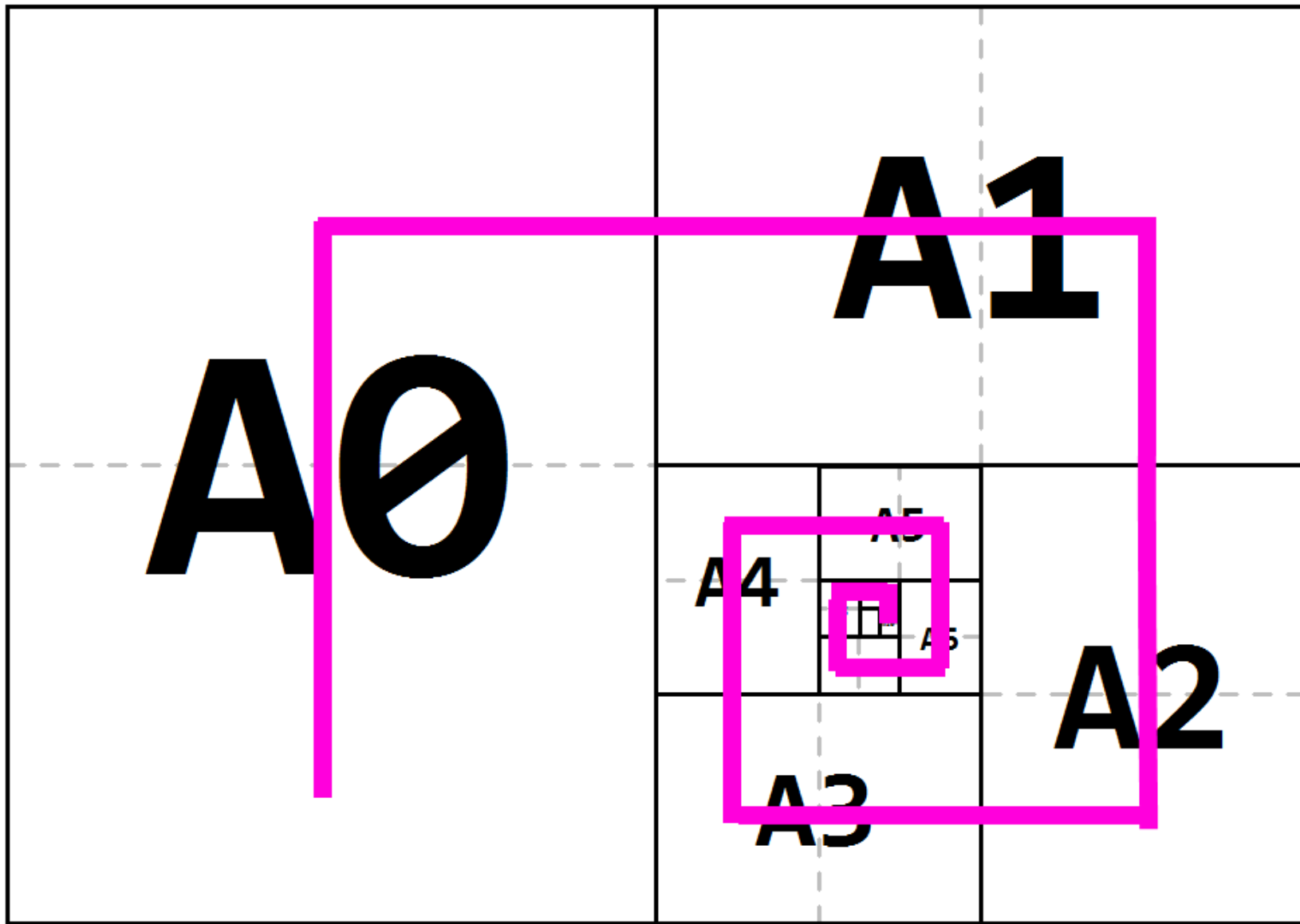
Paper size format having $1:\sqrt{2}$ as aspect ratio. Successive papersize has half area size of preceding size.

ISO 216
A series



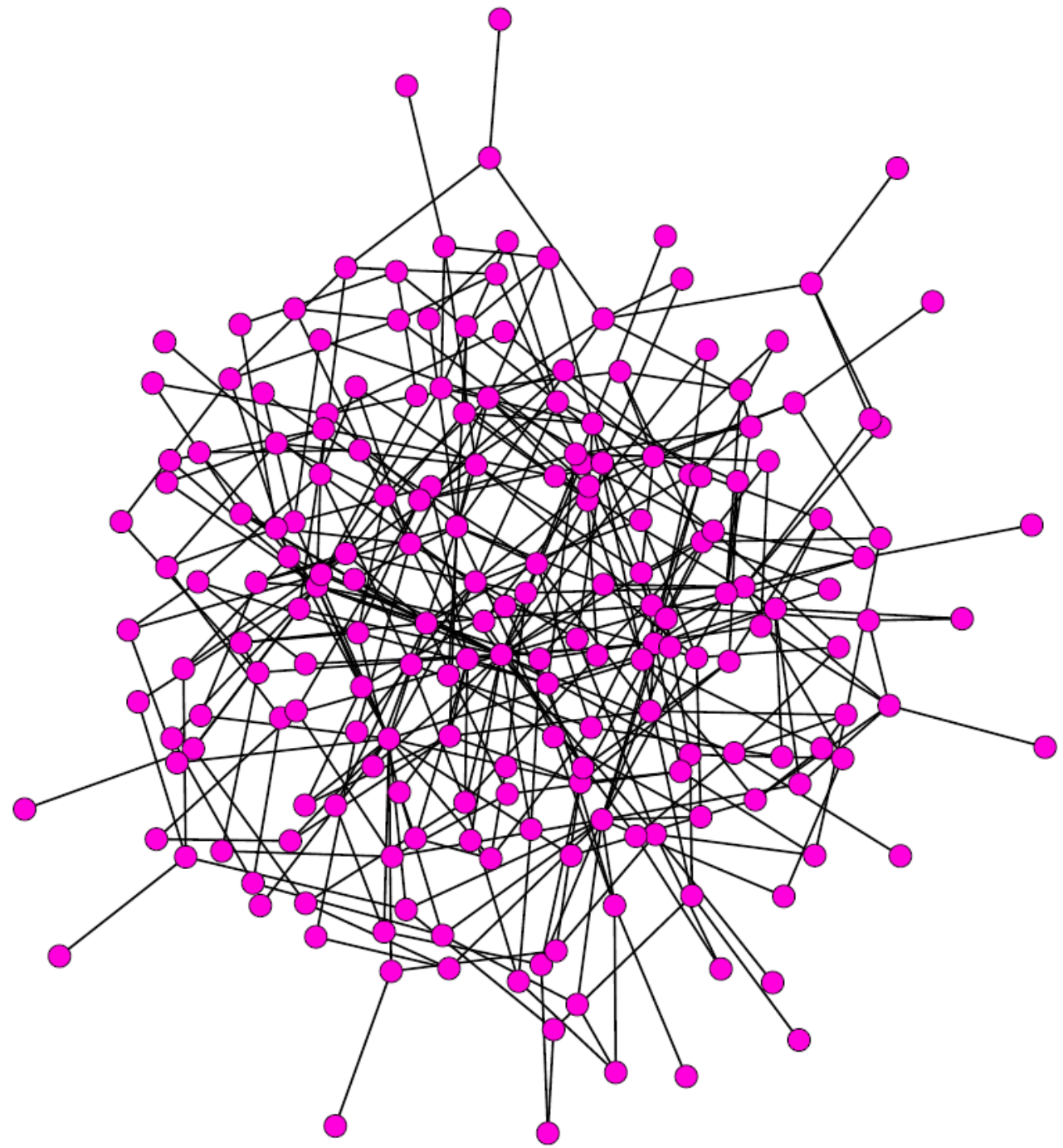
Paper size format having $1:\sqrt{2}$ as aspect ratio. Successive papersize has half area size of preceding size.
 2 x A0 covers it all.

ISO 216
A series



Paper size format having $1:\sqrt{2}$ as aspect ratio. Successive papersize has half area size of preceding size.
 2 x A0 covers it all.

ISO 216
A series



Initials, 10 230 R packages



Initials, 354 939 dictionary words

